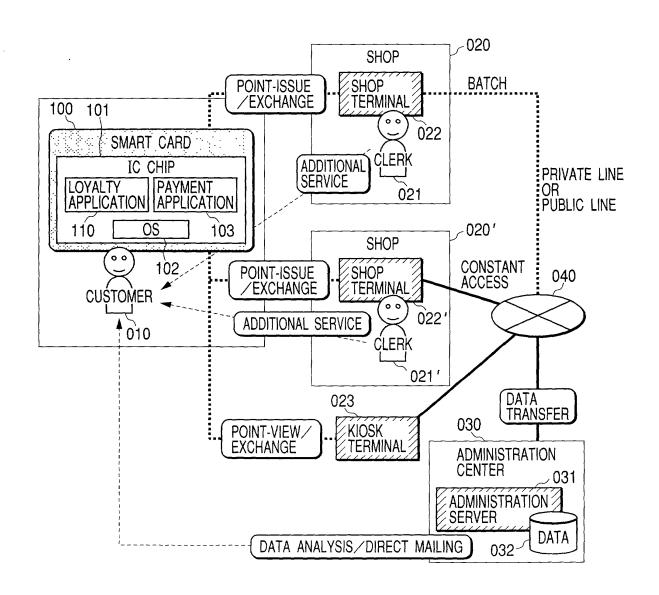
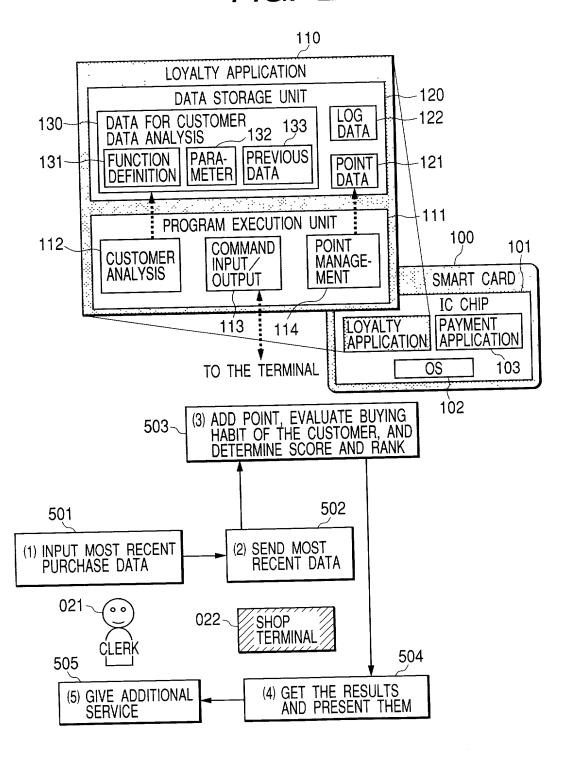
FIG. 1



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### MATHEMATICAL FORMULA 1

 $S_n = P_n + e^{-k(t_n - t_{n-1})} S_{n-1}, S_0 = 0$ 

 $S_n = {\sf SCORE} \ {\sf VALUE} \ {\sf AT} \ n\text{-th TIME}, \ P_n = {\sf PURCHASE} \ {\sf DATA} \ {\sf AT} \ n\text{-th TIME} \ ({\sf AMOUNT}, \ {\sf NUMBER} \ {\sf OF} \ {\sf USAGE} \ {\sf etc.}) \, ,$ 

 $t_n$ : DATE/TIME AT n-th TIME,

k: CONSTANT

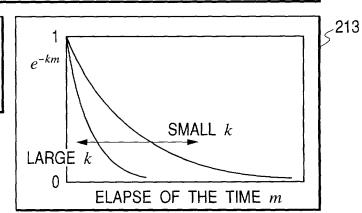
#### MATHEMATICAL FORMULA 1'

 $S_n = P_n + e^{-k(t_n - t_{n-1})} P_{n-1} + \dots + e^{-k(t_n - t_2)} P_2 + e^{-k(t_n - t_1)} P_1 = \sum_{j=1}^n e^{-k(t_n - t_j)} P_j$ 

COEFFICIENT WHICH ABSORBS THE EFFECT OF PAST PURCHASE

 $e^{-km}$ 

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### MATHEMATICAL FORMULA 2 (AVERAGE)

$$S_n = \frac{P_n + S_{n-1} \cdot (N-1)}{N}$$

 $S_n$ =AVERAGE VALUE AT n-th TIME,  $P_n$ =PURCHASE AMOUNT AT n-th TIME,

 $N: \mathsf{ACCUMULATED} \ \mathsf{TOTAL} \ \mathsf{NUMBER} \ \mathsf{OF} \ \mathsf{USAGE} \ \mathsf{AT} \ \mathit{n}\text{-th} \ \mathsf{TIME}$ 

<214

<sub><</sub>210

<sub><</sub>211

FIG. 4

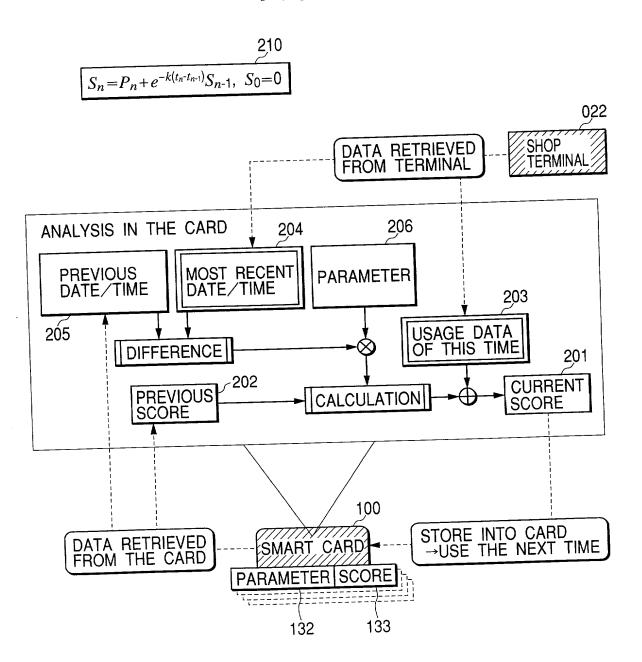
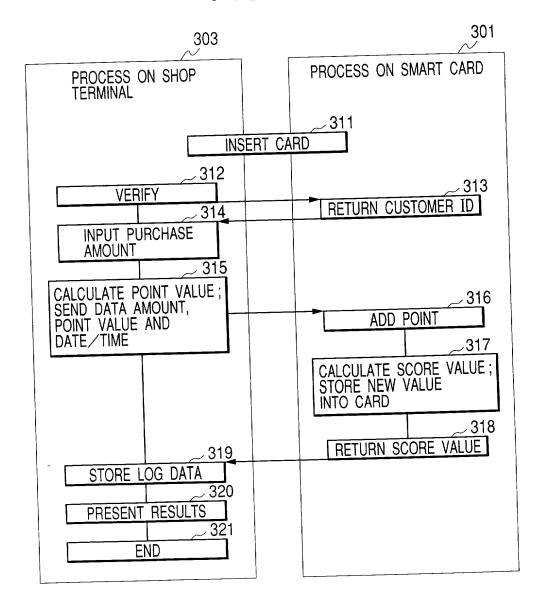


FIG. 5



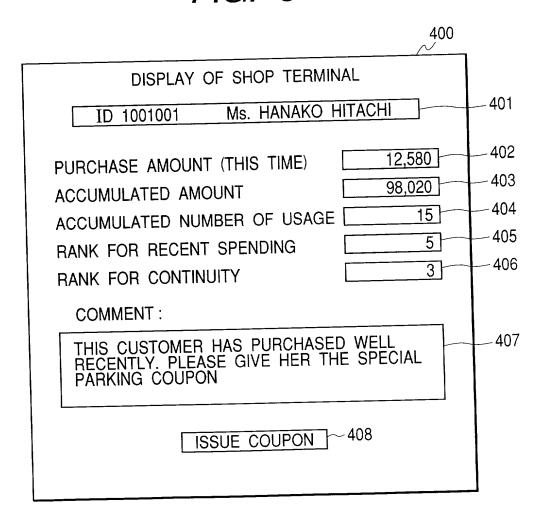
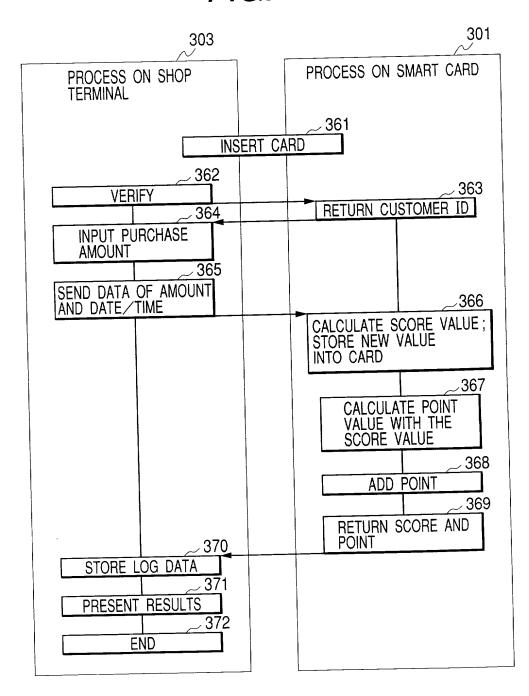


FIG. 7



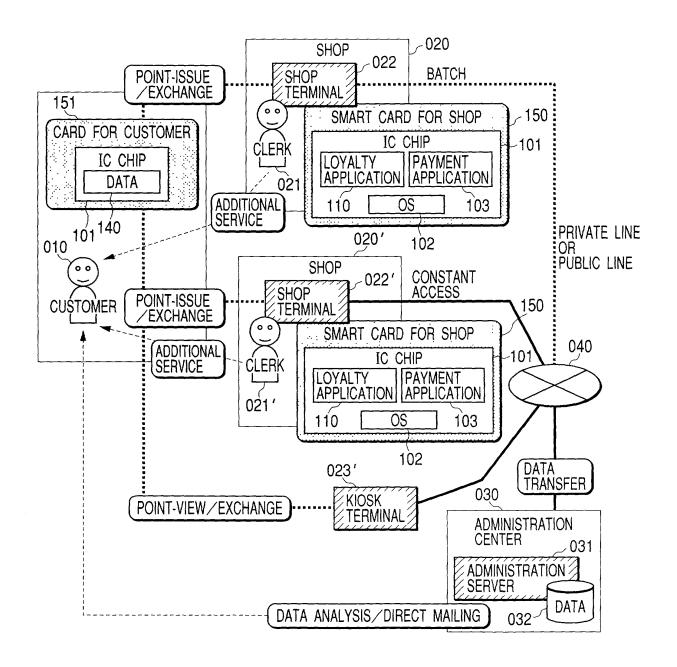
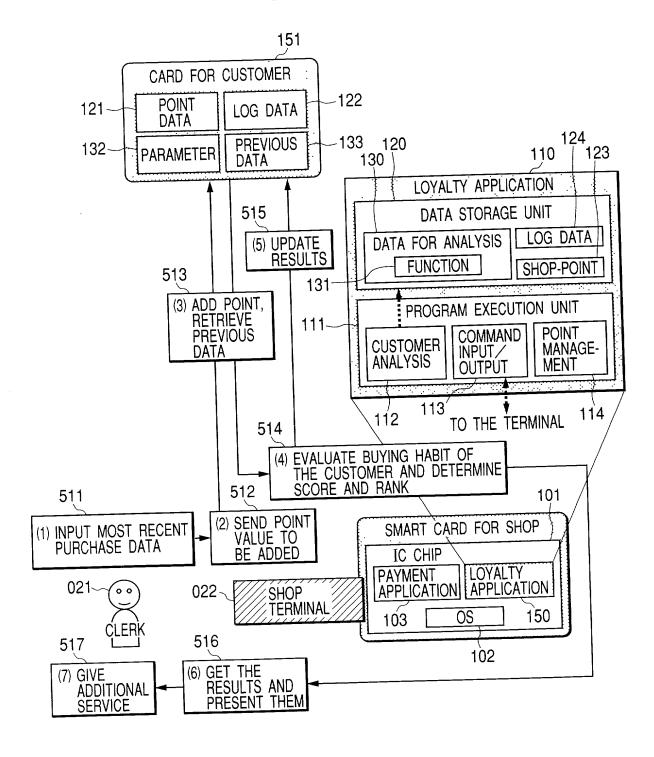


FIG. 9



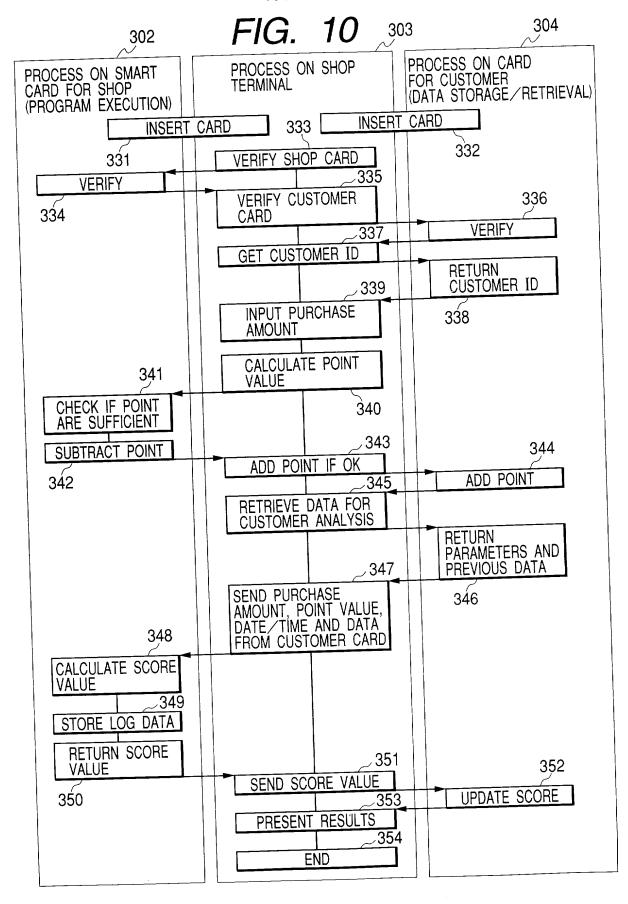


FIG. 11

